General Certificate of Education June 2010

Physics

PHA6/B6/X
Investigative and Practical Skills in A2 Physics Unit 6

Final

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## GCE Physics, PHA6/B6/X, Investigative and Practical Skills in A2 Physics

## Section A, Task 1

| Question 1 |  |  |  |
| :---: | :---: | :---: | :---: |
| (a) | accuracy | $T_{3}>T_{2}>T_{1}$, values sensible <br> (any) $T$ from $p T$ where $\Sigma p \geq 20 \checkmark$ <br> p) $T_{1},(p) T_{2}$ and $(p) T_{3}$ recorded consistently to 0.1 s or to $0.01 \mathrm{~s} \checkmark\left[T=\frac{T}{2}\right.$ can earn ${ }_{23} \checkmark \checkmark ; T=n T$ or $T=\frac{1}{T}$ can earn only ${ }_{3} \checkmark ; n$ in fixed time can earn $1^{\checkmark}$ only] | 3 |
| (b) | method <br> result <br> method/ <br> result | $\log T$ and corresponding $\log n$ values correctly calculated for all three of $T_{3}, T_{2}$ and $T_{1}$ (tolerate $\log 10 T, \ln T$ and $\left.\ln n\right)_{1} \checkmark$ <br> all (of each set of log values) recorded to 3 or to $4 \mathrm{dp}_{2} \checkmark$ [if In values tabulated accept all to 3 sf or all to 4 sf ] <br> plots graph of $\log n(\uparrow)$ against $\log T(\rightarrow)$ [or vice-versa] and calculates gradient ${ }_{3} \checkmark$ <br> points to occupy $1 / 2$ grid each way; $\Delta$ should occupy $1 / 2$ grid each way ${ }_{4}$ <br> [at least $2 \frac{\Delta \log n}{\Delta \log (T / s)}$ evaluated ${ }_{34} \checkmark \checkmark$; any $\frac{\Delta \log n}{\Delta \log (T / s)}{ }^{34} \checkmark$ ] <br> valid working to show $x=2$ (integer value only) <br> [at least $2 n / T^{2}$ confirming $x=2 \checkmark$ ] <br> (ecf allowed for $T=n T$; this can get 4 marks) <br> [guesses that $x=2$ : calculates $T^{2}$ values and plot a graph of $T^{2}$ against $n$; points to occupy $1 / 2$ grid each way ${ }_{1234} \checkmark$; <br> straight line graph through the origin (confirming $x=2$ ) $\checkmark$ $=2 / 4 \mathrm{max}]$ | $\max 3$ <br> 1 |
| (c) | method | measures directly or calculates length, $I$, of (any) paper clip chain; substitutes value into $2 \pi \sqrt{\frac{l}{g}}$ to correctly find period of simple pendulum of length $/{ }_{1} \checkmark$, or ${ }_{2} \checkmark=0$ <br> compares result with relevant measurement of $T$ and shows these to be inconsistent ${ }_{2} \checkmark$ <br> [measures directly or calculates length, $I$, of (any) paper clip chain; substitutes $T$ into $\frac{T^{2} g}{4 \pi^{2}}$ to correctly find length of simple pendulum of period $T_{1} \checkmark$ or ${ }_{2} \checkmark=0$; <br> compares result with relevant measurement of $I$ and shows these to be inconsistent ${ }_{2} \checkmark$ ] <br> [measures directly or calculates length, $I$, of (any) paper clip chain; evaluates $\frac{T^{2}}{l}$ for paper clip pendulum $1^{\vee}$ [reads off intercept on $\log n$ axis; evaluates $k$ from ( $10^{\text {intercept }}$ ) then calculates $(k \times c)]$; compares result with $\frac{4 \pi^{2}}{g}\left[4.02 \mathrm{~s}^{2} \mathrm{~m}^{-1}\right]$ and shows these to be inconsistent ${ }_{2} \checkmark$ ] | 2 |
|  |  | Total | 9 |


| Question 2 |  |  |  |
| :---: | :---: | :---: | :---: |
| (a) | accuracy | time, $\tau$, for energy transfer with 4 paper clips attached, to SV $\pm 20 \% \checkmark$ (penalise here, but not in (b) for $\tau=\frac{\tau}{2}$ ) | 1 |
| $\begin{array}{ll} \text { (b) } & \begin{array}{l} \text { (i)/ } \\ \text { (ii) } \end{array} \end{array}$ | accuracy | $\tau$ with 5 paper clips, result less than $\tau$ with 4 paper clips; $\tau$ with 6 paper clips, result less than $\tau$ with 5 paper clips $\checkmark$ | 1 |
| (a)/(b) | method | any $\tau$ from repeated readings; raw readings consistently recorded to 0.1 s or $0.01 \mathrm{~s} \checkmark$ | 1 |
| (b) (iii) | explanation | three correct calculations of $\tau \times$ number of paper clips [or inverse of ( $\tau \times$ number of paper clips)] ${ }_{1} \checkmark$ <br> valid comment about result of relevant calculation; accept statement that inverse proportion is proven if all results for ( $\tau \times$ number of paper clips) $\leq 5 \%$ of the mean and not proven if any result $\geq 10 \%$ of the mean; accept either response if any result lies between $5 \%$ and $10 \%$ of the mean $2^{\checkmark}$ <br> [other approaches: $\frac{\tau_{a}}{\tau_{b}}$ compared with $\frac{b}{a}$ and $\frac{\tau_{a}}{\tau_{c}}$ with $\frac{c}{a}$, or compared with $\frac{\tau_{b}}{\tau_{c}}$ with $\frac{c}{b}, 1^{\checkmark}$; valid comment ${ }_{2} \downarrow$ ] <br> [correct use of 2 sets of data and valid comment is worth ${ }_{12} \checkmark$ ] | 2 |
| (c) | method | ( $\tau$ very long, hence) difficult to determine when pendulum has come to rest [reached zero/maximum amplitude] (and hence, when to start/stop the watch) <br> reject 'time consuming' argument or statement that 'it is hard to tell when the displacement is zero/maximum') | 1 |
|  |  | Total | 6 |

## Section A Task 2

| Question 1 |  |  |  |
| :---: | :---: | :---: | :---: |
| (a) | accuracy | $n c$ recorded to mm and sensible, $n$ (or $\Sigma n$ ) $\geq 10 ; c$ calculated (and sensible, eg about 5 cm ), result given to 3 sf or $4 \mathrm{sf} \checkmark$ | 1 |
| (b) | accuracy | $d$ found from average of at least 3 (sensible, eg about 1 mm ) repeated readings; raw readings of $d$ to 0.01 mm , final answer given to 3 sf or $4 \mathrm{sf} \checkmark$ | 1 |
| (c) | tabulation <br> results <br> significant figures <br> quality | $\begin{array}{llll}x & / \mathrm{mm} & y & / \mathrm{mm}\end{array}$ <br> any missing label or separator loses the mark <br> at least 10 sets of $x$ and $y$ (expect 12 or 13) $\checkmark$ $x=0$ data set shown in table <br> largest $x$ value in range 355 mm to 380 mm <br> (9/8 sets $=2 \mathrm{max}, 7 / 6$ sets $=1 \mathrm{max}$; ignore any details of junction/clip number in the tabulation; no credit for false/displaced data, or sets on the wrong side of catenary) <br> all $x$ and all $y$ to nearest mm <br> at least 10 points to $\pm 2 \mathrm{~mm}$ of a smooth curve of continuously increasing, (positive) gradient (judge from graph; adjust criterion if graph is poorly-scaled) <br> (do not penalise for graph showing the wrong/both sides of the catenary or for displaced data) | 1 3 3 1 1 |
| (d) | axes <br> scales <br> points <br> line | marked $y / \mathrm{mm}$ (vertical) and $x / \mathrm{mm}$ (horizontal) $\checkmark \checkmark$ deduct $1 / 2$ for each missing label or separator, rounding down [bald $y$ (vertical) and $x$ (horizontal) $\checkmark$ ] deduct a mark if the interval between the numerical values is marked on either axis with a frequency of $>5 \mathrm{~cm}$ <br> points should cover at least half the grid horizontally $\checkmark$ and half the grid vertically (do not penalise false data) $\checkmark$ <br> (if necessary, a false origin should be used to meet these criteria; either or both marks may be lost for use of a difficult or non-linear scale; be lenient with displaced data or if the graph shows the wrong side or both sides of the catenary) <br> all tabulated points plotted correctly, minimum of 10 points (check at least three including every anomalous point) $\checkmark \checkmark \checkmark$ <br> 1 mark is deducted for every tabulated point not plotted, for every point $>1 \mathrm{~mm}$ from correct position and if any point is poorly marked; $9 / 8$ points $=2$ max, $7 / 6$ points $=1$ max <br> no credit for false/displaced data, or sets on the wrong side of the catenary <br> best fit line of positive, continuously increasing gradient $\checkmark$ <br> maximum acceptable deviation from best fit line is 2 mm (adjust criterion if graph is poorly-scaled); any point of inflexion loses this mark (tolerate no more than one straight link between adjacent points); there is no credit for false data but be lenient with displaced data or if the graph shows the wrong side or both sides of the catenary) | 2 <br>  <br> 2 <br>  <br>  <br> 3 <br> 1 |
|  |  | Total | 16 |

## Section B

| Question 1 |  |  |
| :---: | :---: | :---: |
| (a) | $n=24$ correctly substituted; results for $c$ and $d$ correctly substituted (watch for mixed units) $\checkmark$ <br> $L$ to mm ( 4 sff ) or to cm ( 3 sf ), to supervisor's value $\pm 50 \mathrm{~mm}$ ( $\pm 5 \mathrm{~cm}$ ) (no ecf for false data) | 2 |
| (b) <br> (i) <br> (b) (ii) <br> (b) <br> (iii) | percentage difference $=100 \times\left(\frac{2 d}{c}-\frac{2 d}{n c}\right) \checkmark \checkmark$ <br> or any two of the following points: <br> as $n$ increases, $2 d(n-1)$ increases <br> as $n$ increases, the difference between $L$ and $\boldsymbol{n c}$ increases $\checkmark$ <br> as $n$ increases, $2 d(n-1)$ is a bigger proportion of $L$ <br> percentage difference $=\frac{2 d(n-1)}{L} \checkmark$ <br> the increase [change / difference] in percentage difference becomes smaller as $n$ increases $\checkmark$ (accept use of data from Table 1 to illustrate answer) <br> sketch showing graph (accept axes either way round) of percentage difference against $n$ [tolerate $\log n$ ], eg as below $\checkmark$ <br> read off along $n$ axis where percentage difference $=4 \%$ (can be shown on sketch; (ecf if sketch shows wrong trend) <br> round down to the nearest (integer) value of $n \checkmark$ <br> use larger scale [false origin] to reduce uncertainty in $n \checkmark$ (reject: 'read off more points around $\%$ difference $=4 \%$ ') <br> [alternative method which can earn up to 3 marks: <br> calculate percentage difference for values of $n$ between 16 and 8 (accept values of $n<16$ or values of $n>8$ ) $\checkmark$ <br> calculate percentage difference using $\frac{2 d(n-1)}{L} \checkmark$ <br> required value of $n$ is when percentage difference has largest value $<4 \% \checkmark$ ] | $\max 5$ |
|  | Total | 7 |


| Question 2 |  |  |
| :---: | :---: | :---: |
| (a) | method: evidence that a tangent, or a line parallel to the tangent, or a normal or a chord has been drawn at the curve where $x=243, y=260$, ie at $7^{\text {th }}$ point (accept any as hypotenuse of $\Delta$ ); $y$-step at least 8 cm and $x$-step at least 8 cm [minimum $x$-step and minimum $y$-step $=270 \mathrm{~mm}$ ] <br> correct transfer of $y$-step and $x$-step data between graph and calculation $\checkmark$ (mark is withheld if points used to determine either step > 1 mm from correct position on grid) <br> result must be min 2 sf , max 4 sf; ignore any unit given in error but do not allow ecf in (b) (i) and (c) <br> (there is no credit for gradient calculations based on incorrect methods, eg $G=\Delta x / \Delta y$ or $G=\tan \theta$, in such cases there is no ecf to 1 (b)) | 2 |
| (b) (i)/ <br> (ii) | $p 3 \mathrm{sf}$ or 4 sf , correct substitution (allow ecf), answer with suitable unit; $q 3$ sf or 4 sf, correct substitution (allow ecf), answer with no unit $\checkmark$ | 1 |
| (c) | $r$ in range 366 mm to 448 mm (accept 4 sf ) or 2 sf answer between 0.38 m to $0.44 \mathrm{~m} \checkmark \checkmark$ [ 305 mm to 365 mm or 449 mm to 509 mm or 2 sf between 0.31 m to 0.37 m or 0.45 m to $0.50 \mathrm{~m} \checkmark$ ] (do not penalise for missing unit if also missed for $p$ ) | 2 |
|  | Total | 5 |


| Question 3 |  |  |
| :---: | :---: | :---: |
| (i) | sketch showing fiducial mark positioned at the centre of oscillation of the chain (or $0 / 2$ ); some part of the mark should be below $3 / 4$ length of the chain, and ideally be positioned below end of chain $\checkmark$ (accept perspective sketch) | 1 |
| (ii) | (at centre of oscillation) because this is where the transit time is least [speed of chain is greatest] | 1 |
|  | Total | 2 |



